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Math 301 – Introduction to Discrete Mathematics (3)
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Symbolic logic, sets and relations, algorithms, mathematical induction, recurrence relations, trees and other graphs.

Pre: One semester of calculus from mathematics department; or consent. Recommended: one semester programming.

# Approximate timeline:

# 1. Fundamentals of Logic and Sets

Logic, Propositional Equivalences, Predicates and Quantifiers, Sets, Set Operations, Functions, Sequences.

# 2. Algorithms

Algorithms, Complexity, Integer Algorithms, Matrices.

# 3. Mathematical Reasoning

Proofs, Mathematical Induction, Recursive Definitions and Algorithms.

# 4. Counting

Rules of Sum and Product, Pigeonhole Principle, Permutations, Combinations, Discrete Probability.

# 5. Advanced Counting

Recurrence Relations, Divide-and-conquer Relations, Inclusion-Exclusion.

# 6. Relation Algorithms

Relations,  $n\mathchar`-ary$  Relations, Representing Relations, Closures, Equivalence Relations, Partial Orders.

# 7. Graphs

Graphs, Representing Graphs, Graph Isomorphism, Connectivity, Euler and Hamilton Paths, Shortest Paths, Planar Graphs, Graph Coloring.

### 8. Trees

Trees, Applications, Tree Traversal, Trees and Sorting, Spanning Trees, Minimal Spanning Trees.

 Possible texts: K. Rosen, Discrete Mathematics and Its Applications, Random House.
R. P. Grimaldi, Discrete and Combinatorial Mathematics, Addison-Wesley.
Lovasz, Pelikan, Vesztergombi, Discrete Mathematics and Beyond, Springer.

**Course Objectives**: Upon successful completion, the student will have a working knowledge of discrete mathematics. The student will be able to apply this to problems involving counting, inductive reasoning and analysis of algorithmic complexity.

**Program Objectives**: Discrete mathematics provides a foundation for understanding advanced computer science. In particular the analysis of program correctness, termination and complexity.