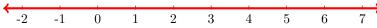
1. Draw the following intervals on the number line.



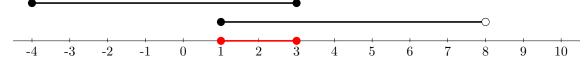
- (b) (2,6)
- (d) $(-\infty, 5]$
- 2. Write as an interval: $\{x: x \in \mathbb{R}\}$; i.e., "The set of all x, where x is a real number." $(-\infty, \infty)$ Draw this interval on the number line.



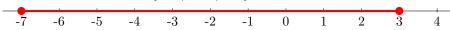
3. Plot on the number line: $[-2,3) \cap \mathbb{Z}$; i.e., "The intersection of [-2,3) with the set of integers."

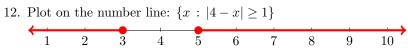


- 4. Arrange from least to greatest: $|-\pi|, \, |-3|, \, 3, \, -|-4|, \, -4.$ Use the symbols "<" and "≤". $-4 \le -|-4| < 3 \le |-3| < |-\pi|$
- 5. Simplify to an integer: $|2(|-1-3|\cdot|6-8|)-5|$
- 6. Rewrite |x+2|-|1-x| without using the absolute value sign, where:
 - (a) x < -2 -3
 - (b) $x \ge 4$ 3
 - (c) x = 0
- 7. Write using the absolute value sign the expression representing the distance on the number line between 3 and -1. |3 (-1)|
- 8. Write using the absolute value sign: "The distance between x and -2 is greater than or equal to 3." $|x (-2)| \ge 3$
- 9. Consider the intervals [-4, 3] and [1, 8).
 - (a) Draw these intervals on the number line and mark the interval representing their intersection.



- (b) Express the intersection in interval notation. [1,3]
- (c) Express the intersection in set notation without using the absolute value sign. $1 \le x \le 3$
- (d) Express the intersection using the absolute value sign. $|x-2| \le 1$
- 10. Write as a union of two intervals: $\{x: |x-3|>4\}$. $(-\infty,-1)\cup(7,\infty)$
- 11. Plot on the number line: $\{x: |x+2| \le 5\}$





- 13. Solve and write the answer in set notation: -2 < x 3 < 4. $\{x : 1 < x < 7\}$
- 14. Solve and write the answer in interval notation: $|x+4| \le 5$ and x > -3. (-3,1]
- 15. Solve and write the answer using absolute value: -7 < 1 x < -5. |x 7| < 1